

## Compare and order

Remember to START with the largest digits - they have the most value.

$$\underline{5}4,353 < \underline{6}0,210$$

If the digits are the same, move down to the next

$$\underline{5}42,\underline{4}78 < \underline{5}42,\underline{5}02$$

Remember to check the column value

$$99,782 < \underline{3}23,251$$

## Value of digits

| <u>Millions</u> |            |           | <u>Thousands</u> |            |           | <u>Ones</u> |            |           |
|-----------------|------------|-----------|------------------|------------|-----------|-------------|------------|-----------|
| <u>100s</u>     | <u>10s</u> | <u>1s</u> | <u>100s</u>      | <u>10s</u> | <u>1s</u> | <u>100s</u> | <u>10s</u> | <u>1s</u> |
| 1               | 2          | 3         | 4                | 5          | 6         | 7           | 8          | 9         |

$$123,456,789 =$$

One hundred and twenty-three million,  
four hundred and fifty-six thousand,  
seven hundred and eighty-nine

$$123,000,000 + 456,000 + 789$$

## Counting in powers of 10

Counting forwards (without bridging):

$$\text{e.g. } 43,534 + 1,000 = 44,534$$

Counting backwards (no exchanging):

$$\text{e.g. } 745,643 - 100 = 745,543$$

Counting forwards (bridging):

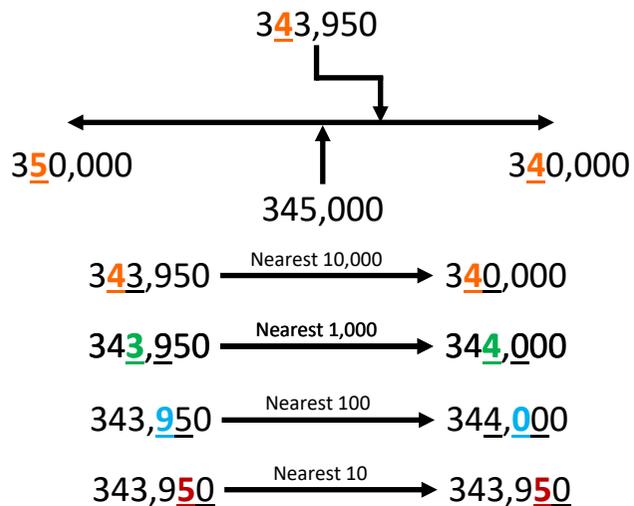
$$\text{e.g. } 5,593 + 10 = 5,603$$

Counting backwards (exchanging):

$$\text{e.g. } 8,042,435 - 100,000 = 7,942,435$$

## Rounding to the nearest...

E.g. Rounding to the nearest 10,000



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## Year 5/6 - Place Value

## Roman Numerals

$$I = 1 / V = 5 / X = 10 / L = 50$$
$$C = 100 / D = 500 / M = 1,000$$

$$XXVI = 10 + 10 + 5 + 1 = 26$$

$$XXIV = 10 + 10 + (5 - 1) = 24$$

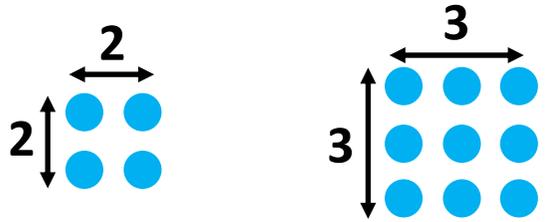
## Negative numbers



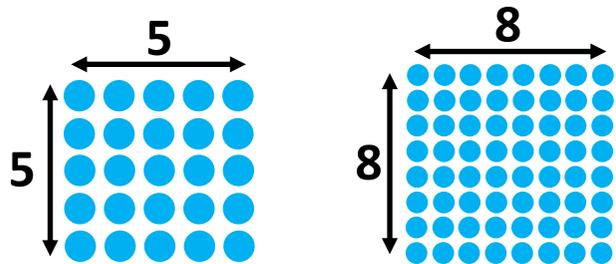
## Square numbers

A **square number** is the product of 2 of the same number (when a number is multiplied by itself)

$$2^2 = 2 \times 2 = 4 \quad 3^2 = 3 \times 3 = 9$$



$$5^2 = 5 \times 5 = 25 \quad 8^2 = 8 \times 8 = 64$$



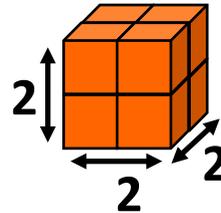
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## Year 5/6 - Number

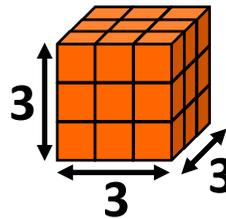
### Cube numbers

A **cube number** is the product of three numbers

$$2^3 = 2 \times 2 \times 2 = 4 \times 2 = 8$$



$$3^3 = 3 \times 3 \times 3 = 9 \times 3 = 27$$



## Prime numbers

**Prime numbers** are numbers (larger than 1) with only 2 factors: themselves and 1.

Numbers which are not prime are called **composite numbers**.

|    |    |    |    |    |    |    |    |    |     |
|----|----|----|----|----|----|----|----|----|-----|
| 1  | 2  | 3  | 4  | 5  | 6  | 7  | 8  | 9  | 10  |
| 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20  |
| 21 | 22 | 23 | 24 | 25 | 26 | 27 | 28 | 29 | 30  |
| 31 | 32 | 33 | 34 | 35 | 36 | 37 | 38 | 39 | 40  |
| 41 | 42 | 43 | 44 | 45 | 46 | 47 | 48 | 49 | 50  |
| 51 | 52 | 53 | 54 | 55 | 56 | 57 | 58 | 59 | 60  |
| 61 | 62 | 63 | 64 | 65 | 66 | 67 | 68 | 69 | 70  |
| 71 | 72 | 73 | 74 | 75 | 76 | 77 | 78 | 79 | 80  |
| 81 | 82 | 83 | 84 | 85 | 86 | 87 | 88 | 89 | 90  |
| 91 | 92 | 93 | 94 | 95 | 96 | 97 | 98 | 99 | 100 |

↑ ↑  
**Prime numbers up to 100**

| <u>Term</u> | <u>Definition</u>   | <u>Other Vocabulary</u> |   | <u>Term</u>      | <u>Definition</u>   |
|-------------|---|-------------------------|---|------------------|---|
| Sum / total | The result when two or more numbers are added together          | <u>Term</u>             | <u>Definition</u>                               | Consecutive      | Consecutive numbers are integers which follow in order (e.g. 5, 6, 7, 8, 9) |
| Difference  | Result when a smaller number is taken away from a larger number |                         |   |                  |   |
| Product     | Result when two or more numbers are multiplied together         | Operations              | + (add), - (subtract), x (multiply), ÷ (divide) | Descending Order | Numbers which are in descending order <b>decrease</b> in amount/value       |
| Quotient    | Result when one number is divided by another                    | Integer                 | A negative or positive whole number             | Ascending Order  | Numbers which are in ascending order <b>increase</b> in amount              |

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# Year 5/6 - Addition and Subtraction

**Written Addition**

$$\begin{array}{r} 45,853 \\ + 23,463 \\ \hline 6 \\ \hline \downarrow \\ 45,853 \\ + 23,463 \\ \hline 16 \\ \hline 1 \\ \hline \downarrow \\ 45,853 \\ + 23,463 \\ \hline ,316 \end{array} \rightarrow \begin{array}{r} 45,853 \\ + 23,463 \\ \hline 69,316 \\ \hline \cancel{\times} \cancel{\times} \\ \uparrow \\ 45,853 \\ + 23,463 \\ \hline 9,316 \\ \hline \cancel{\times} \cancel{\times} \end{array}$$

**Written Subtraction**

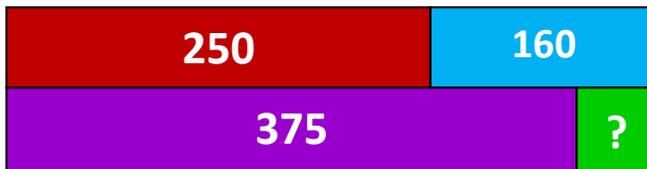
$$\begin{array}{r} 80,134 \\ - 33,241 \\ \hline 3 \\ \hline \downarrow \\ 80,134 \\ - 33,241 \\ \hline 93 \\ \hline \downarrow \\ 80,134 \\ - 33,241 \\ \hline ,893 \end{array} \rightarrow \begin{array}{r} 80,134 \\ - 33,241 \\ \hline 46,893 \\ \hline \uparrow \\ 80,134 \\ - 33,241 \\ \hline 6,893 \end{array}$$

## Multi-step problems

A milkman has **250 bottles of milk**.  
He collects **160 more** during the morning.  
During his shift, he **delivers 375 bottles**.

How many bottles are remaining?

$$250 + 160 - 375 = ? = 35$$



## Mental +/-

Consider if a mental strategy would be better.  
**2,000 - 1,286** could be solved using written subtraction. However, counting up could be quicker.

$$1,286 + 4 = 1,290$$

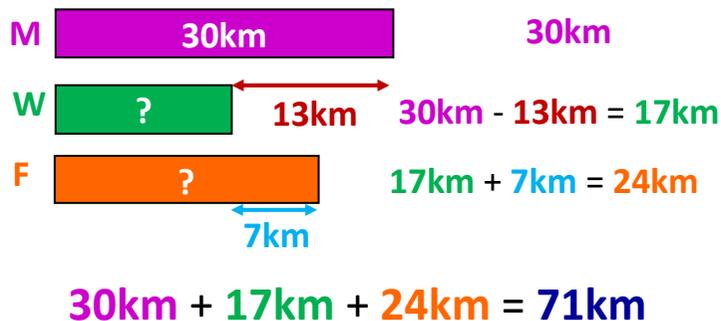
$$1,290 + 10 = 1,300$$

$$1,300 + 700 = 2,000$$

$$2,000 - 1,286 = 700 + 10 + 4 = 714$$

On **Monday**, Sophie ran **30km**.

On **Wednesday**, she ran **13km fewer** than **Monday**. On **Friday**, she ran **7km more** than **Wednesday**. How far did she run that week?

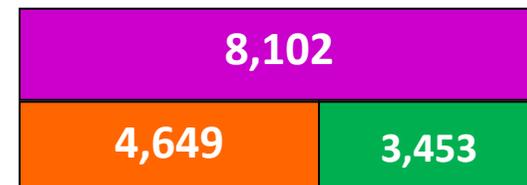


## Inverse

$$3,453 + 4,649 = 8,102$$

$$8,102 - 4,649 = 3,453$$

$$8,102 - 3,453 = 4,649$$



## Written

### Multiplication

$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 9 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 59 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 5,853 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \hline 60 \end{array}$$

$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 117,060 \\ \hline 134,619 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 117,060 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 117,060 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 7,060 \end{array}$$



$$\begin{array}{r} 5,853 \\ \times 23 \\ \hline 17,559 \\ \times 2 \\ \hline 1,060 \end{array}$$



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# Year 5/6 - Multiplication and Division

## X and ÷ by 10 / 100 / 1,000

Each column is 10x bigger than the column before

$x/\div 10$  - move **up/down 1** column

$x/\div 100$  - move **up/down 2** columns

$x/\div 1,000$  - move **up/down 3** columns

$$45,000 \div 1,000 = 45$$

$$105 \times 100 = 10,500$$

## Multiples and factors

**Multiple:** Can be divided evenly by **the number**

eg. 8 / 32 / 64 / 800 are all **multiples** of 8

**Factor:** Can be multiplied to create

**the number**

e.g. 1 / 2 / 3 / 4 / 6 / 12 are **factors** of 12

## Mental x/÷

$$300 \times 4 = 3 \times 4 \times 100 = 12 \times 100 = \underline{1,200}$$

$$720 \div 9 = 72 \div 9 \times 10 = 8 \times 10 = \underline{80}$$

$$24 \times 19 = 24 \times 20 - 24 = 480 - 24 = \underline{456}$$

## Written Division

$$\begin{array}{r} 1 \\ 8 \overline{) 8,192} \\ \underline{8} \phantom{00} \\ 19 \phantom{0} \\ \underline{16} \phantom{0} \\ 39 \phantom{0} \\ \underline{32} \phantom{0} \\ 69 \phantom{0} \\ \underline{64} \phantom{0} \\ 52 \\ \underline{48} \\ 42 \\ \underline{40} \\ 2 \end{array}$$

How many 8s in 8?  
 $8 \div 8 = 1$

$$\begin{array}{r} 1,0 \\ 8 \overline{) 8,192} \\ \underline{8} \phantom{00} \\ 19 \phantom{0} \\ \underline{16} \phantom{0} \\ 39 \phantom{0} \\ \underline{32} \phantom{0} \\ 69 \phantom{0} \\ \underline{64} \phantom{0} \\ 52 \\ \underline{48} \\ 42 \\ \underline{40} \\ 2 \end{array}$$

How many 8s in 19?  
 $19 \div 8 = 2 \text{ r} 3$

$$\begin{array}{r} 1,02 \\ 8 \overline{) 8,192} \\ \underline{8} \phantom{00} \\ 19 \phantom{0} \\ \underline{16} \phantom{0} \\ 39 \phantom{0} \\ \underline{32} \phantom{0} \\ 69 \phantom{0} \\ \underline{64} \phantom{0} \\ 52 \\ \underline{48} \\ 42 \\ \underline{40} \\ 2 \end{array}$$

How many 8s in 32?  
 $32 \div 8 = 4$

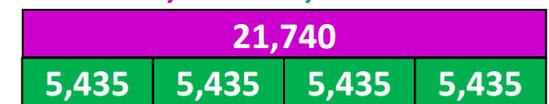
$$\begin{array}{r} 1,024 \\ 8 \overline{) 8,192} \\ \underline{8} \phantom{00} \\ 19 \phantom{0} \\ \underline{16} \phantom{0} \\ 39 \phantom{0} \\ \underline{32} \phantom{0} \\ 69 \phantom{0} \\ \underline{64} \phantom{0} \\ 52 \\ \underline{48} \\ 42 \\ \underline{40} \\ 2 \end{array}$$

## Inverse

$$5,435 \times 4 = 21,740$$

$$21,740 \div 4 = 5,435$$

$$21,740 \div 5,435 = 4$$



## Order of Operation

**B** - Brackets

**I** - Indices (squares, cubes)

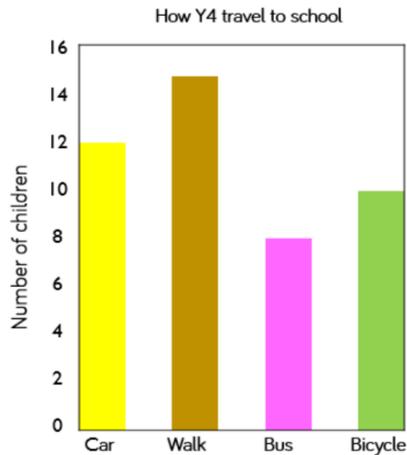
**D/M** - Division / multiplication

**A/S** - Addition / Subtraction

$$(3+7) \times 3 = 30$$

$$3+7 \times 3 = 24$$

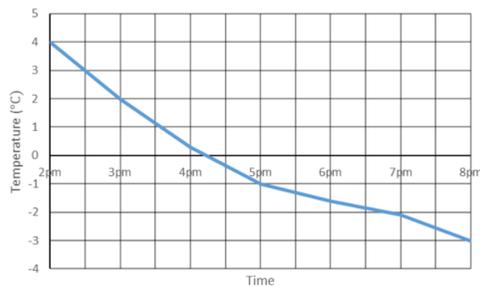
## Bar and column charts



The information in a bar chart is read across. They are used to compare different data. In the above example, we can see that more children in Y4 walk to school

## Line graphs

Line graph usually show us changes over time. They require us to read along the x and y axes.

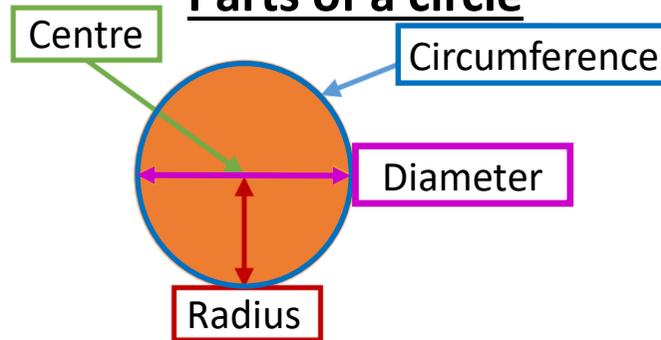


For example, the graph above shows a temperature of around  $-1.5^{\circ}\text{C}$  at 6pm,  $4^{\circ}\text{C}$  at 2pm and  $1^{\circ}\text{C}$  at 3:30pm.

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# Year 5/6 - Statistics

## Parts of a circle



## Pie charts

96 people took part in this survey.

Our favourite pets



Pie charts

compare values as parts of a **whole**.

$$\text{Dogs} = 96 \div 2 = 48$$

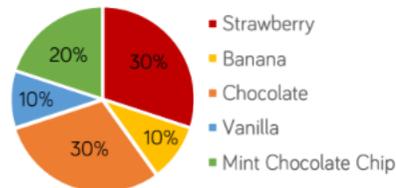
$$\text{Cats} = 96 \div 8 = 12$$

$$\text{Hamsters} = 12$$

$$\text{Horses} = 96 \div 4 = 24$$

Favourite Ice Cream Flavours

300 pupils voted for their favourite ice cream flavours



$$\text{Strawberry} = (300 \div 10) \times 3 = 90$$

$$\text{Banana} = 300 \div 10 = 30$$

$$\text{Chocolate} = 90$$

$$\text{Vanilla} = 300 \div 10 = 30$$

$$\text{Mint chocolate chip} = (300 \div 10) \times 2 = 60$$

## Pictograms

In pictograms, an image is given a certain value.

1 square = 20 house points

| Team     | Number of house points                 |
|----------|--|
| Sycamore | 4 squares (red) + 1 square (blue)      |
| Oak      | 3 squares (purple) + 1 square (orange) |
| Beech    | 4 squares (green) + 1 square (purple)  |
| Ash      | 5 squares (dark blue)                  |

$$\text{Sycamore} = 4 \times 20 + (20 \div 2) = 80 + 10 = 90$$

$$\text{Oak} = 3 \times 20 + (20 \div 2) = 60 + 10 = 70$$

$$\text{Beech} = 4 \times 20 + (20 \div 4) = 80 + 5 = 85$$

$$\text{Ash} = 5 \times 20 = 100$$

## The mean

Mean =  $\frac{\text{total of all the numbers}}{\text{the number of numbers}}$

9 10  
7 5 3  
6 2

$$\text{Total} = 9 + 10 + 7 + 5 + 3 + 6 + 2 = 42$$

$$\text{Mean} = 42 \div 7 = 6$$

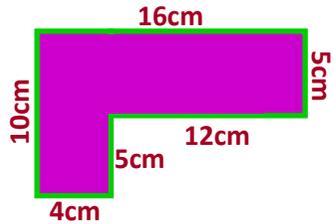
## Two-way tables

|       | Boys | Girls | TOTAL |
|-------|------|-------|-------|
| Dogs  | 87   | 44    | 131   |
| Cats  | 38   | 76    | 114   |
| TOTAL | 125  | 120   | 245   |

The table above shows the number of **dogs** and **cats** owned by **girls** and **boys**

## Perimeter

The perimeter of a shape or space is the distance around the outside.



$$\begin{aligned} \text{Perimeter} &= 5\text{cm} + 16\text{cm} + 10\text{cm} + \\ &4\text{cm} + 5\text{cm} + 12\text{cm} \\ &= 52\text{cm} \end{aligned}$$

## Area

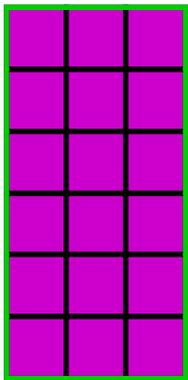
The area of a shape is the amount of 2D space it takes up



Perimeter  
Area

## Area of rectangle

$$\text{Area of rectangle} = b \times h$$



6cm

3cm

$$\text{Area} = 3\text{cm} \times 6\text{cm} = 18\text{cm}^2$$

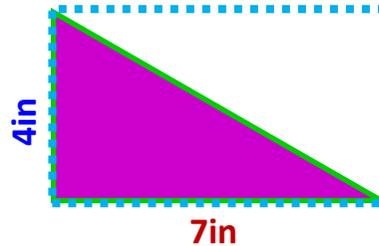
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# Year 5/6 - Perimeter, Area and Volume

## Area of triangle

A **triangle** is half the size of a **rectangle** with the same **base** and **height**.

Therefore, the **area** is **half** the size.



$$\begin{aligned} \text{Area of triangle} \\ &= b \times h \div 2 \end{aligned}$$

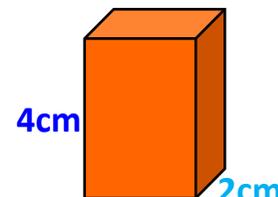
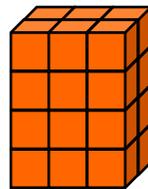
$$\begin{aligned} \text{Area} &= 7\text{in} \times 4\text{in} \div 2 \\ &= 28\text{in}^2 \div 2 = 14\text{in}^2 \end{aligned}$$

## Volume of cuboids

The **volume** of a cuboid is its "3D space"

It can be counted as cubes or by using

$$\text{Volume of cuboid} = \text{base} \times \text{height} \times \text{depth}$$



4cm

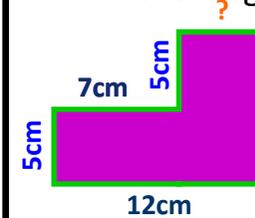
3cm

2cm

$$\begin{aligned} \text{Volume} &= 3\text{cm} \times 4\text{cm} \times 2\text{cm} = \\ &12\text{cm}^2 \times 2\text{cm} = 24\text{cm}^3 \end{aligned}$$

## Finding missing sides

Using the properties of shapes, we can find the length of missing sides.

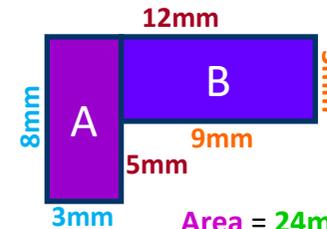


$$? = 12\text{cm} - 7\text{cm} = 5\text{cm}$$

$$? = 5\text{cm} + 5\text{cm} = 10\text{cm}$$

## Area of compound shapes

To find the **area** of compound shapes, simply split them into shapes you can find the area of.



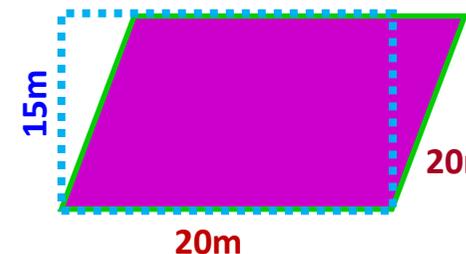
$$\begin{aligned} \text{Area of A} &= 3\text{mm} \times 8\text{mm} = 24\text{mm}^2 \\ \text{Area of B} &= 9\text{mm} \times 3\text{mm} = 27\text{mm}^2 \end{aligned}$$

$$\text{Area} = 24\text{mm}^2 + 27\text{mm}^2 = 51\text{mm}^2$$

## Area of Parallelogram

A **parallelogram** has the same area as a **rectangle** with the same **base** and **height**

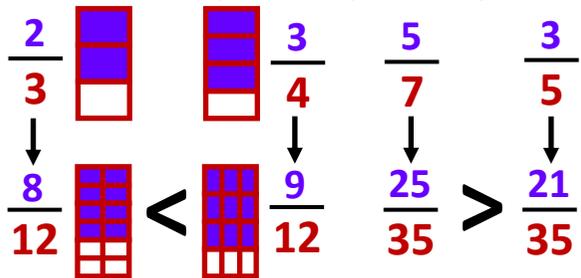
$$\text{Area of parallelogram} = b \times h$$



$$\begin{aligned} \text{Area} &= 20\text{m} \times 15\text{m} \\ &= 300\text{m}^2 \end{aligned}$$

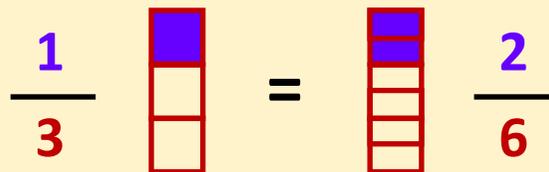
## Compare and order fractions

If the **denominators** of our fractions are the same, they are easy to compare.



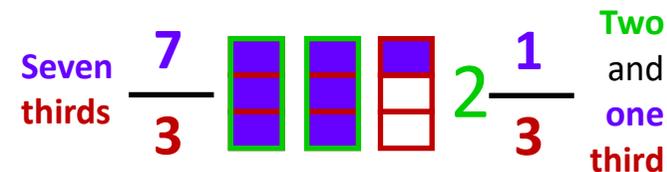
## Equivalent fractions

As long as we multiply or divide the **numerator** and **denominator** by the same number, our fraction will be equivalent.



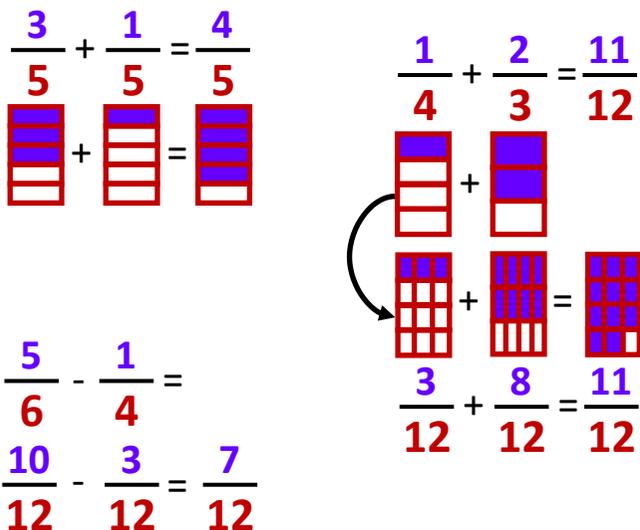
## Improper and mixed numbers

Fractions which are bigger than 1.



## Add and subtract fractions

If the **denominators** of our fractions are the same, we just add the **numerators**.

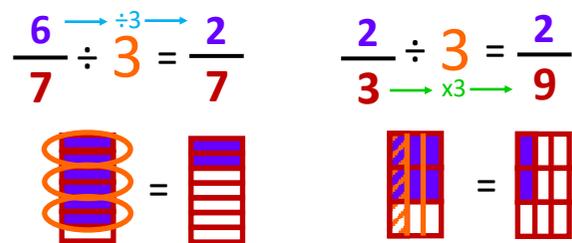


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## Year 5/6 - Fractions (1)

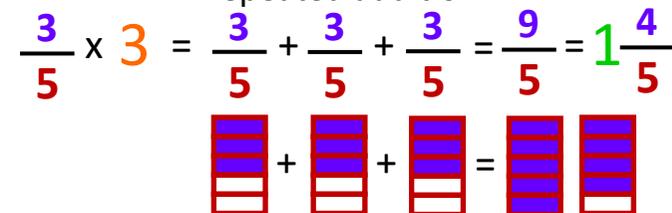
## Dividing fractions

Dividing can be thought of as grouping (if **numerator** divisible by **integer**) or splitting.

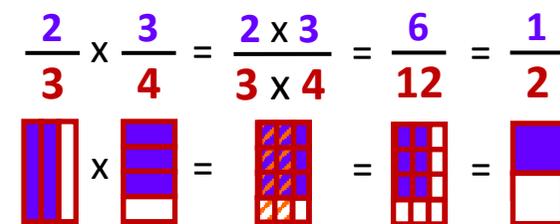


## Multiplying fractions

If multiplying by an **integer**, think of it as repeated addition.



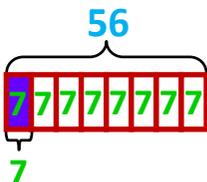
If multiplying fractions together, you multiply the **numerators** together and multiply the **denominators** together.



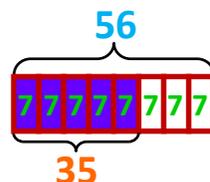
## Find fractions of amounts

When finding fractions of amounts, remember the **denominator** is how many equal parts something has been split into and the **numerator** is how many parts you have

$\frac{1}{8}$  of 56 =  $56 \div 8 = 7$



$\frac{5}{8}$  of 56 =  $(56 \div 8) \times 5 = 7 \times 5 = 35$

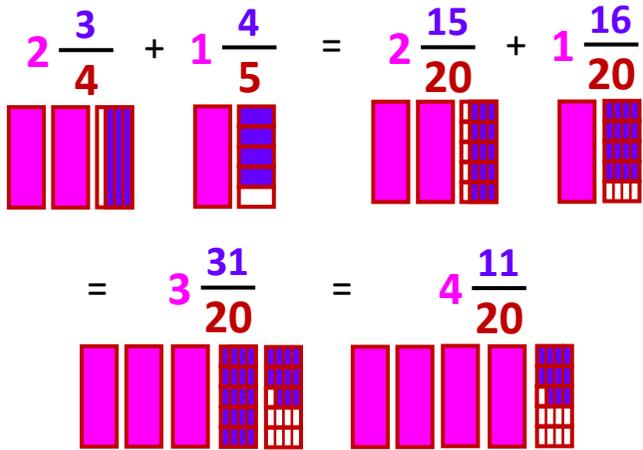


Extra note: multiplication will result in the exact same thing!!

$\frac{5}{8} \times 56 = \frac{5 \times 56}{8} = \frac{280}{8} = 35$

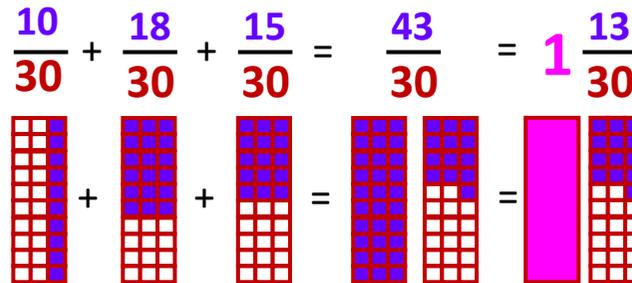
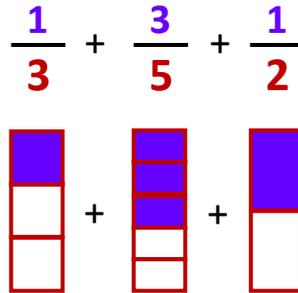
# Year 5/6 - Fractions (2)

## Adding mixed numbers

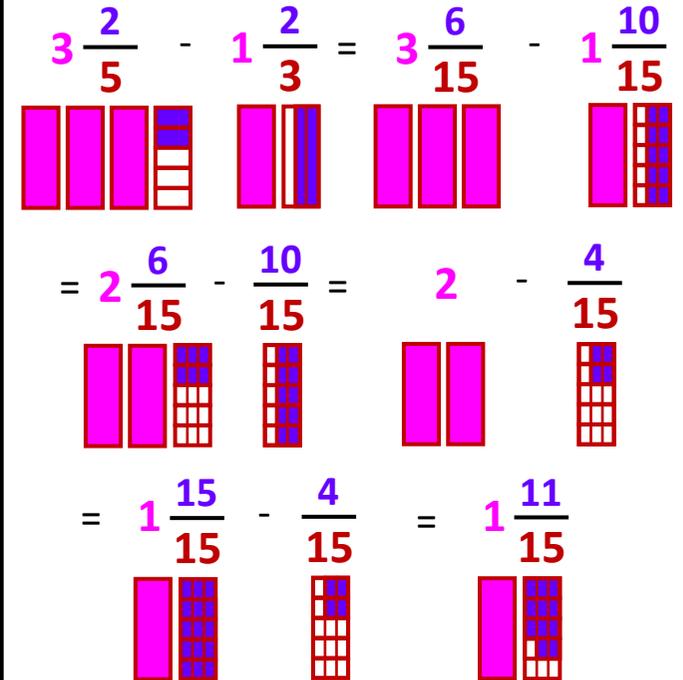


## Adding three fractions

Convert them all into like fractions

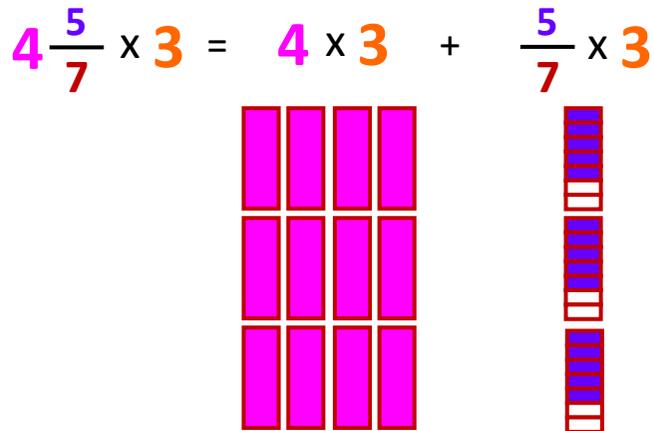


## Subtracting mixed numbers



## Multiplying mixed number

Remember to multiply the **integer** and the **fraction**.



$$4\frac{5}{7} \times 3 = 12 + \frac{15}{7}$$

$$4\frac{5}{7} \times 3 = 12 + 2\frac{1}{7}$$

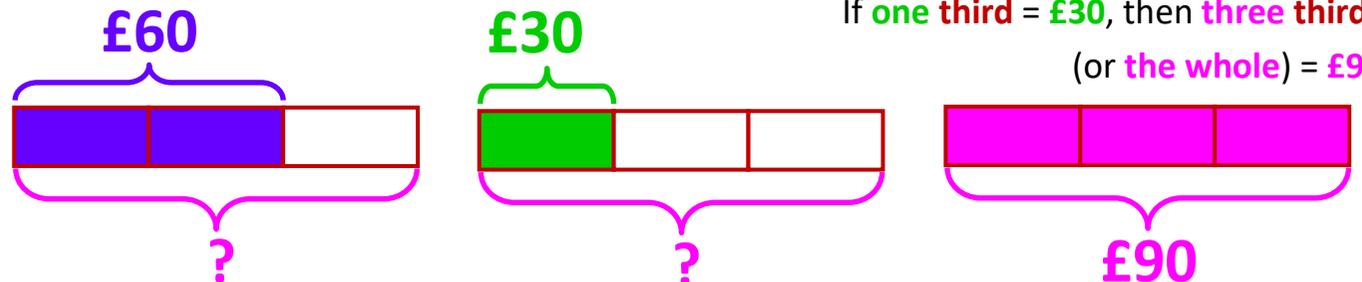
$$4\frac{5}{7} \times 3 = 14\frac{1}{7}$$

## Finding Wholes

Sam spent **two thirds** of his money. If he'd spent **£60**, how much did he **start** off with?

If **two thirds** = £60, then **one third** = £30.

If **one third** = £30, then **three thirds** (or **the whole**) = £90



# Year 5/6 - Decimals and Percentages

## Decimal place value

| Ones<br>(1s) | Tenths<br>(0.1s) | Hundredths<br>(0.01s) | Thousandths<br>(0.001s) |
|--------------|------------------|-----------------------|-------------------------|
| 1            | $\frac{1}{10}$   | $\frac{1}{100}$       | $\frac{1}{1000}$        |
|              |                  |                       |                         |
| 5            | 2                | 6                     | 4                       |

$$5.264 = 5 + 0.2 + 0.06 + 0.004$$

## Percentages of amounts

$$50\% = \frac{1}{2} = \div 2$$

$$10\% = \frac{1}{10} = \div 10$$

$$25\% = \frac{1}{4} = \div 4$$

$$1\% = \frac{1}{100} = \div 100$$

Using these rules we can make any percentage, e.g.

$$5\% = 10\% \div 2 \text{ or } 1\% \times 5$$

$$40\% = 10\% \times 4 \text{ or } 50\% - 10\% - 10\%$$

$$35\% \text{ of } 240 = 72 + 12 = 84$$

$$10\% \text{ of } 240 = 24$$

$$30\% \text{ of } 240 = 72 \quad \begin{matrix} \nearrow \times 3 \\ \searrow \div 2 \end{matrix} \quad 5\% \text{ of } 240 = 12$$

An easier way? (Particularly for tricky percentages)

We know percentages are easy to turn to /100

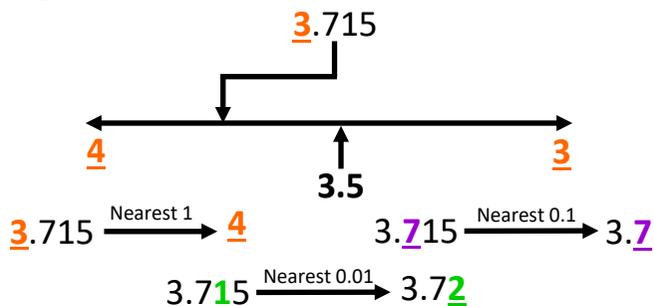
$$35\% \text{ of } 240 = 35/100 \text{ of } 240$$

$$240 \times 35 = 8,400 \quad 8,400 \div 100 = 84$$

$$35\% \text{ of } 240 = 84$$

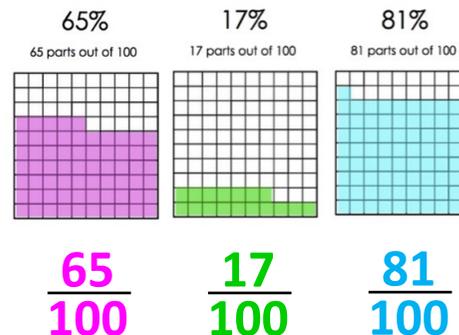
## Rounding decimals

e.g. Rounded to the nearest whole number



## Percentages

Percent means per 100 or /100



## Ordering decimals

START with the digits

$$5.53 < 6.09$$

with the most value.

If the digits are the

$$7.781 > 7.769$$

same move to the next.

Remember to check

$$3.7 > 3.302$$

the column value

## Decimals and fractions

$$\frac{1}{10} = 0.1 \quad \frac{1}{100} = 0.01 \quad \frac{1}{1000} = 0.001$$

$$0.35 = \frac{3}{10} + \frac{5}{100} = \frac{35}{100}$$

$$0.741 = \frac{7}{10} + \frac{4}{100} + \frac{1}{1000} = \frac{741}{1000}$$

$$\frac{100}{100} = 100\% \quad \frac{1}{100} = 1\% \quad \frac{37}{100} = 37\%$$

Common fraction, decimal, % equivalencies

$$\frac{1}{10} = 0.1 = 10\% \quad \frac{3}{4} = 0.75 = 75\%$$

$$\frac{1}{2} = 0.5 = 50\% \quad \frac{1}{5} = 0.2 = 20\%$$

$$\frac{1}{4} = 0.25 = 25\% \quad \frac{1}{8} = 0.125 = 12.5\%$$

## Multiplying

### Decimals

$$\begin{array}{r} \text{£}5.53 \\ \times 6 \\ \hline \text{£}33.18 \end{array}$$

Decimal point stays where it is

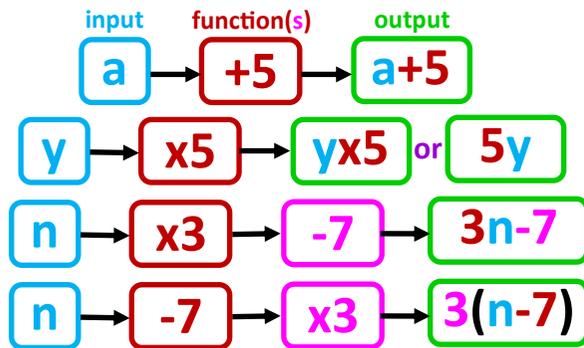
## Dividing

### Decimals

$$6 \overline{) \text{£}3.78}$$

Decimal point stays where it is

## Finding an algebraic rule



## Using an algebraic rule

$b+12$  if  $b=7$ ,  $b+12=19$   
if  $b=3$ ,  $b+12=15$

$n+m$  if  $n=7$  and  $m=3$ ,  $n+m=10$   
if  $n=9$  and  $m=-7$ ,  $n+m=2$

$3t+8$  if  $t=3$ ,  $3t+8=3 \times 3+8=17$   
if  $t=7$ ,  $3t+8=3 \times 7+8=28$

## Finding possible values

|                 |                    |
|-----------------|--------------------|
| $a + b = 6$     | $3c - 7 = y$       |
| $a = 4, b = 2$  | $c = 4, y = 5$     |
| $a = 3, b = 3$  | $c = 2, y = -1$    |
| $a = 1, b = 5$  | $c = 10, y = 23$   |
| $a = -3, b = 9$ | $c = 100, y = 293$ |

# Year 5/6 - Algebra

## Solving equations

$c + 13 = 22$

|    |    |
|----|----|
| c  | 13 |
| 22 |    |

$c = 22 - 13 = 9$

$3f = 36$

|    |   |   |
|----|---|---|
| f  | f | f |
| 36 |   |   |

$f = 36 \div 3 = 12$

$2y - 7 = 49$

|    |   |   |
|----|---|---|
| y  | y | 7 |
| 49 |   |   |

$2y = 49 + 7 = 56$   
 $y = 28$

## Using a formula

Algebraic formulae are rules which describe a mathematical relationship - e.g.

The formula for the area of a triangle

$$\text{Area} = b \times h \div 2$$

The total cost of a taxi journey (C) is £1.50 and 30p for the number of miles travelled (m).

$$C = \text{£}1.50 + \text{£}0.30 \times m$$

## Algebra and word problems

Word problems can be shown algebraically.

I think of a number  $\longrightarrow x$

I multiply it by 6  $\longrightarrow 6x$

I then add 4  $\longrightarrow 6x+4$

My new number is 34  $\longrightarrow 6x+4=34$

$$6x+4=34 \longrightarrow 6x=30 \longrightarrow x=5$$

Alice, Sophie and Matt are siblings.

Alice is twice as old as Matt. Sophie is 7 years older than Matt.

If Sophie is 12, how old is Alice?

$A = 2M$       If  $S = 12$ ,  $M = 5$  and  
 $M = S - 7$        $A = 2 \times 5 = 10$

Lenny and Carl have £120 between them.

Lenny has three times as much as Carl.

How much do they have each?

$$L + C = \text{£}120$$

$$L = 3C$$

$$3C + C = \text{£}120 = 4C$$

$$\text{Carl} = \text{£}30$$

$$\text{Lenny} = \text{£}30 \times 3 = \text{£}90$$

@MrH\_T77 Language of Ratio

A ratio shows the relationship between values.



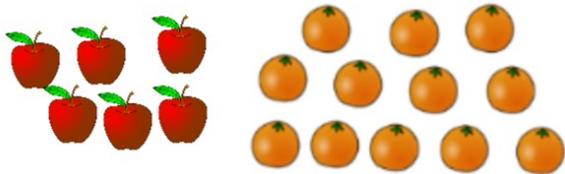
For every 2 **blue flowers** there are 4 **pink flowers**. The ratio of **blue flowers** to **pink flowers** is **2:4**.

OR

For every **blue flower** there are 2 **pink flowers**. The ratio of **blue flowers** to **pink flowers** is **1:2**.

Ratios and fractions

Ratios and fractions are very closely linked.



The ratio of **apples** to **oranges** is **6:12** or **1:2**.

There are **1/2 the number of apples** compared to **oranges** OR there are **twice** as many **oranges** as **apples**.

The ratio of **apples** to **the total number of fruit** is **6:18** or **1:3**.

**1/3** of **all the fruit** are **apples**.



Year 5/6 - Ratio

Scale factors

When a shape is increased by a scale factor, the length and width are multiplied by the scale factor.



The **green rectangle** has been increased by a **scale factor of 3**



to make the **yellow rectangle**.

Flapjacks

Serves: 10

120 g butter

100 g dark brown soft sugar

4 tablespoons golden syrup

250 g rolled oats

40 g sultanas or raisins

John has 180g of butter. What is the largest number of flapjacks he can make?

**120 : 180**

120g of

180g of

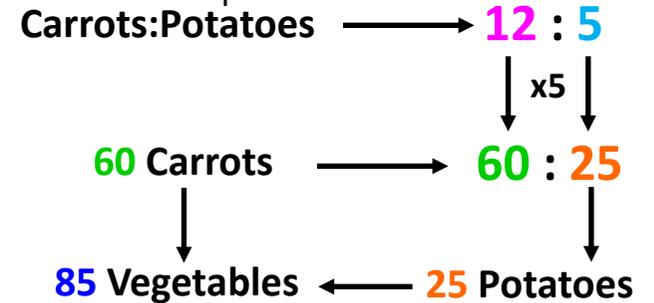
↓  
Serves  
10

↓  
Serves  
15

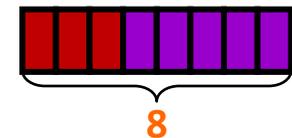
÷60  
**2 : 3**  
x5  
**10 : 15**

Calculating ratios

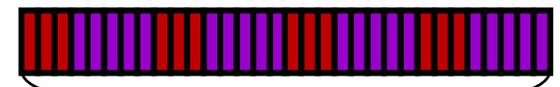
A farmer plants some crops in a field. For every **12 carrots**, she plants **5 potatoes**. She plants **60 carrots** in total. How many **potatoes** did she plant? How many **vegetables** did she plant in total?



Emily has a packet of sweets. For every **3 red sweets** there are **5 purple sweets**. If there are **32 sweets in the packet in total**, how many of each colour are there?



**3:5**



**12 red and**

**32**

**12:20**

**20purple**

If you had **3 red sweets**, you'd have **5 purple** - so **8 sweets in total**. **8** goes into **32 4 times** - so you'd have **3x4 red sweets** and **5x4 purple**.

## Metric vs Imperial

| Volume   | Distance  | Mass   |
|--|---|--|
| millilitres (ml)<br>centilitres (cl)<br>litres (l) | millimetres (mm)<br>centimetres (cm)<br>metres (m)<br>kilometres (km) | milligrams (mg)<br>grams (g)<br>kilograms (kg) |
| Pints (pt)<br>gallons (gal)                        | inches (in)<br>feet (ft)<br>yards (yd)                                | ounces (oz)<br>pounds (lb)<br>stone (st)       |

## Time Conversion

- seconds
- minutes
- hours
- days
- weeks
- months
- years

60 seconds = 1 minute

60 minutes = 1 hour

24 hours = 1 day

7 days = 1 week

28/29/30/31 days = 1 month

~365 days = 1 year

~52 weeks = 1 year

12 months = 1 year

## Miles to Kilometres

5 miles ≈ 8 kilometres

e.g.

45 miles = 9 x 5 miles

9 x 8 kilometres = 72 kilometres

45 miles ≈ 72 kilometres

@MrH\_T77

# Year 5/6 - Converting Units

## Calculating with measures

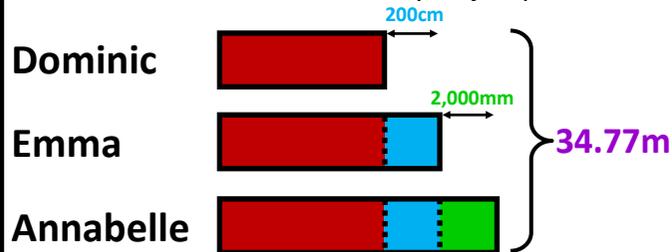
A parcel weighs 439 grams. How many kilograms would 27 parcels weigh?

$$439g \times 27 = 11,853g = 11.853kg$$

Dominic, Emma and Annabelle jumped a total of 34.77m in a long jump competition.

Emma jumped exactly 200cm further than Dominic. Annabelle jumped exactly 2,000mm further than Emma.

What distance did they all jump?



$$2,000mm = 200cm \quad 34.77m = 3,477cm$$

$$3,477cm - 200cm - 200cm - 200cm = 2,877cm$$

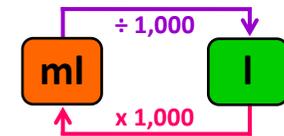
$$2,877cm \div 3 = 959cm = \text{Dominic}$$

$$959cm + 200cm = 1,159cm = \text{Emma}$$

$$1,159cm + 200cm = 1,359cm = \text{Annabelle}$$

## Converting metric units

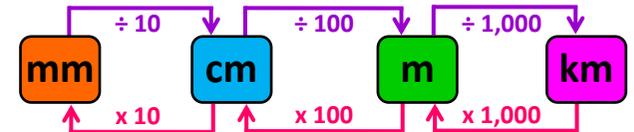
### Volume



$$1l = 1,000ml$$

e.g. 3,500ml = 3.5l

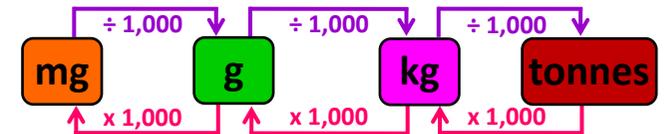
### Distance



$$1cm = 10mm; 1m = 100cm; 1km = 1,000m$$

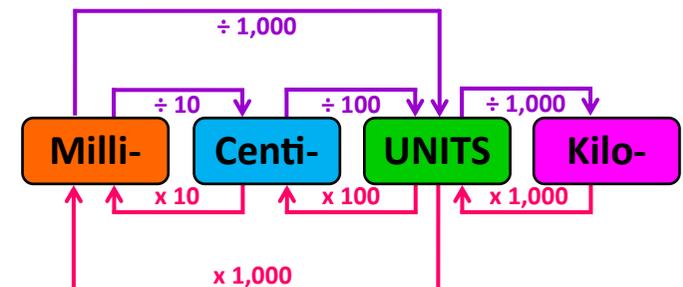
e.g. 653cm = 6.53m

### Mass



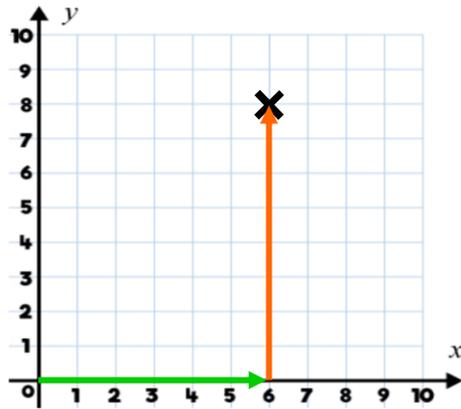
$$1g = 1,000mg; 1kg = 1,000g; 1tonne = 1,000kg$$

All metric units follow the pattern below; however, not all terms are regularly used (e.g. we don't regularly use cg or kl)



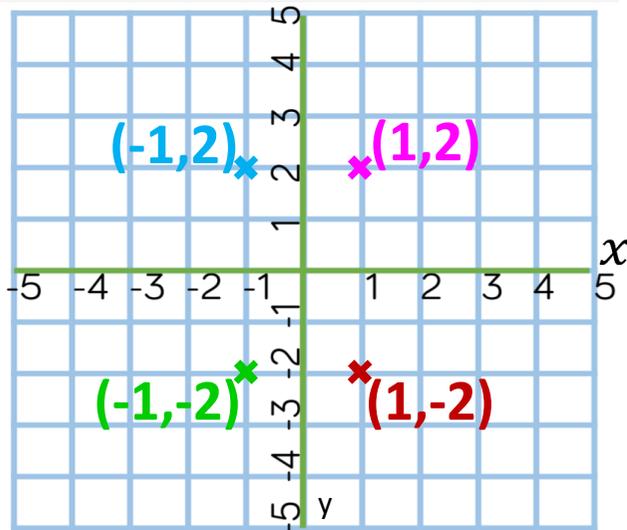
## Plotting in the first quadrant

(6,8)



When plotting co-ordinates, the **first co-ordinate** represents moving in the **x-direction** and the **second co-ordinate** represents moving in the **y-direction**.

## All four quadrants



With four quadrants, co-ordinates can be in a positive and negative direction

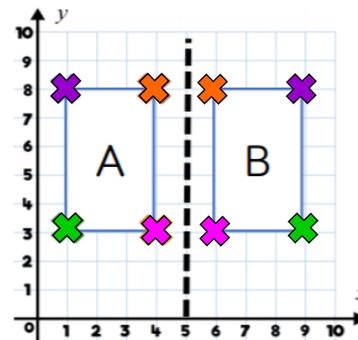
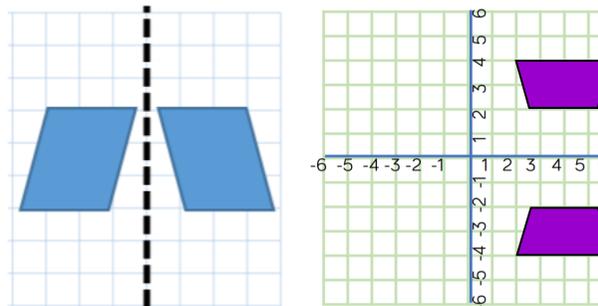
@MrH\_T77

## Year 5/6 -

## Position and direction

### Reflections

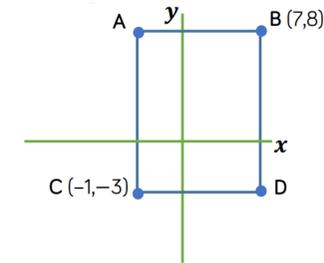
Reflections are where a shape or co-ordinates are mirrored across a line.



As you can see in the above example, the co-ordinates closest to the line of reflection in shape A are still the closest after being reflected.

$(4,3) \rightarrow (6,3)$  /  $(4,8) \rightarrow (6,8)$   
 $(1,3) \rightarrow (9,3)$  /  $(1,8) \rightarrow (9,8)$

## Properties of shapes



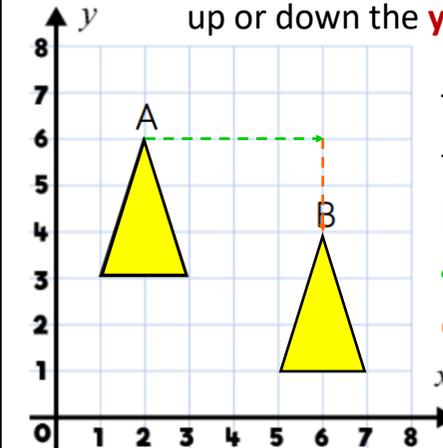
A will have the same **x co-ordinate** as C.  
A will have the same **y co-ordinate** as B.

D will have the same **x co-ordinate** as B.  
D will have the same **y co-ordinate** as C.

$B = (7,8)$     $A = (-1,8)$   
 $C = (-1,-3)$     $D = (7,-3)$

## Translation

Translations are where a shape or co-ordinates are move across the **x-axis** and up or down the **y-axis**.



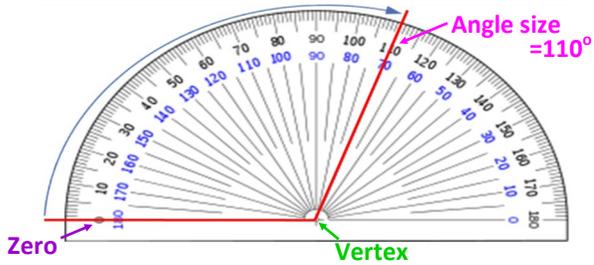
The yellow triangle has been translated **4 right** and **2 down**.

Vertex A =  $(2,6)$

Vertex B =  $(6,4)$

The **x co-ordinate** has increased by 4 and the **y co-ordinate** has decreased by 2.

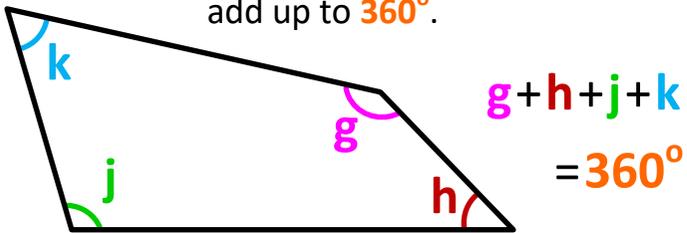
## Measuring angles



When measuring angles, place the centre of the protractor on the **vertex** - with **one line meeting a zero**. Follow around from the **0** until you reach **the next line** to read the angle.

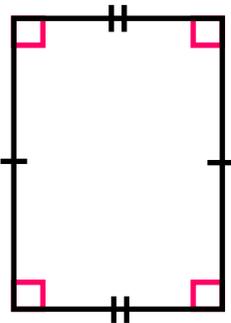
## Angles in quadrilaterals

The interior angles in a quadrilateral always add up to **360°**.



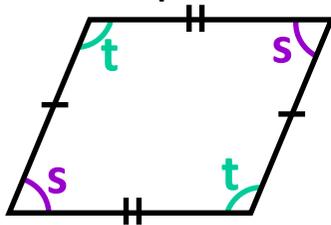
### Rectangles

(including squares) have **four 90° angles**.



### Parallelograms

(including rectangles and rhombuses) the **opposite angles are equal**.



@MrH\_T77

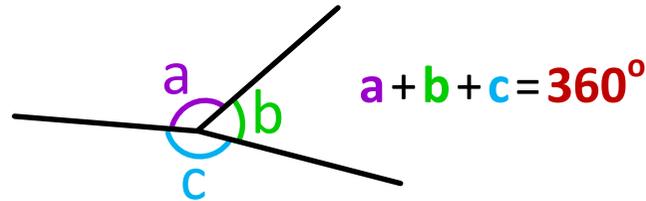
## Year 5/6 -

## Properties of shapes:

## Angles

### Angles on a straight line

All the angles around a point will add up to **360°**.



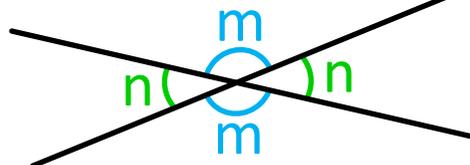
### Angles on a straight line

All the angles along a straight line will add up to **180°**.



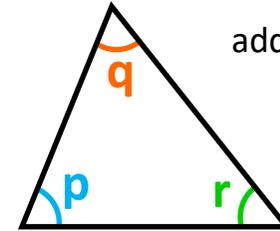
### Vertically opposite angles

Opposite angles of two straight intersecting lines will always be equal.



## Angles in a triangle

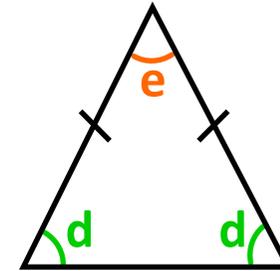
The interior angles in a triangle always add up to **180°**.



$$p + q + r = 180^\circ$$

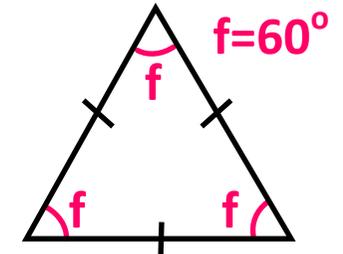
### Isosceles triangle

Has two sides of equal length and **two equal angles**.



### Equilateral triangle

Has three sides of equal length and **three equal angles**.



## Regular shapes

Regular shapes have sides with the same lengths and all equal angles.

Interestingly, for each extra side on a polygon, the sum of the angles is **180°** more.

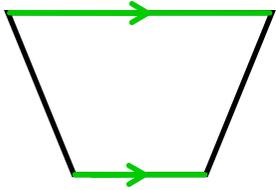
| Shape (no. of sides) | Sum of angles | Single angle in regular shape  |
|----------------------|---------------|--------------------------------|
| Triangle (3)         | 180°          | $180^\circ \div 3 = 60^\circ$  |
| Quadrilateral (4)    | 360°          | $360^\circ \div 4 = 90^\circ$  |
| Pentagon (5)         | 540°          | $540^\circ \div 5 = 108^\circ$ |
| Hexagon (6)          | 720°          | $720^\circ \div 6 = 120^\circ$ |

## Quadrilaterals

Any **4-sided polygon** is called a quadrilateral.

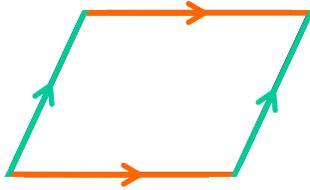
### Trapezium

- at least one pair of parallel lines



### Parallelogram

A type of trapezium  
- opposite sides are parallel and equal



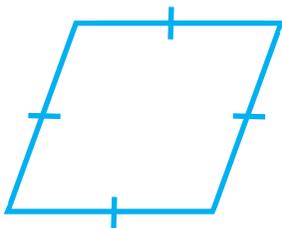
### Rectangle

A type of parallelogram  
- all four interior angles are 90°



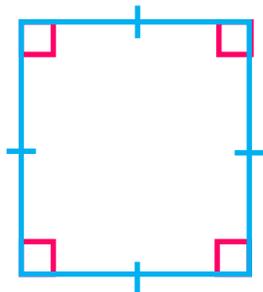
### Rhombus

A type of parallelogram  
- all four sides are equal in length



### Square

A regular quadrilateral  
A type of rectangle and rhombus  
- opposite sides are equal in length  
- four 90° angles



## Shape Vocabulary

| Term                     | Definition                                  |
|--------------------------|---|
| Corner                   | The point where 2 line meet                 |
| Side                     | The lines forming the outside of a 2D shape |
| Vertex<br>(pl. Vertices) | The point where 2 (or more) lines meet      |
| Face                     | The flat 2D surfaces of a 3D shape          |
| Edge                     | The part where 2 faces in a 3D shape meet   |
| Parallel                 | Describes two lines which will never meet   |

@MrH\_T77

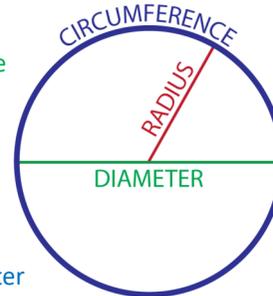
## Year 5/6 - 2D and 3D shapes

### Circles

**Radius** - the distance from the centre of a circle to the outside

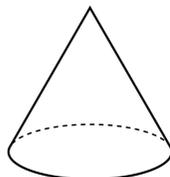
**Diameter** - the distance from one side of a circle to the other (passing through the centre)

**Circumference** - a circle's perimeter



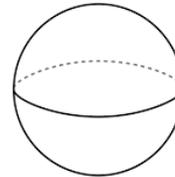
### Cone

a cone has a circular base which joins at an apex



### Sphere

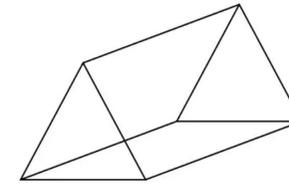
a sphere is a perfectly round 3D shape



## 3D Shapes

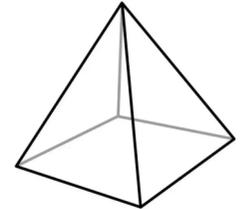
### Prisms

has 2 faces of a given polygon - which are connected by rectangular faces  
e.g.  
A **triangular prism**:



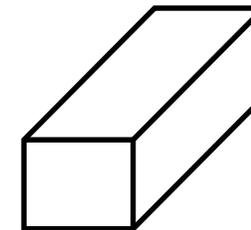
### Pyramids

has a base of a given polygon - which joins at a vertex.  
e.g.  
A **square-based pyramid**:



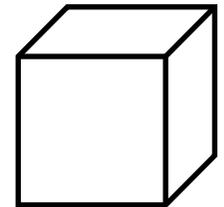
### Cuboid

a cuboid is a rectangular prism



### Cube

a cube is a cuboid - where all 6 faces are square



### Cylinder

a cylinder has 2 circular faces connected by a curved surface

